

Alternative tagging strategies and estimating collection efficiency

John Best

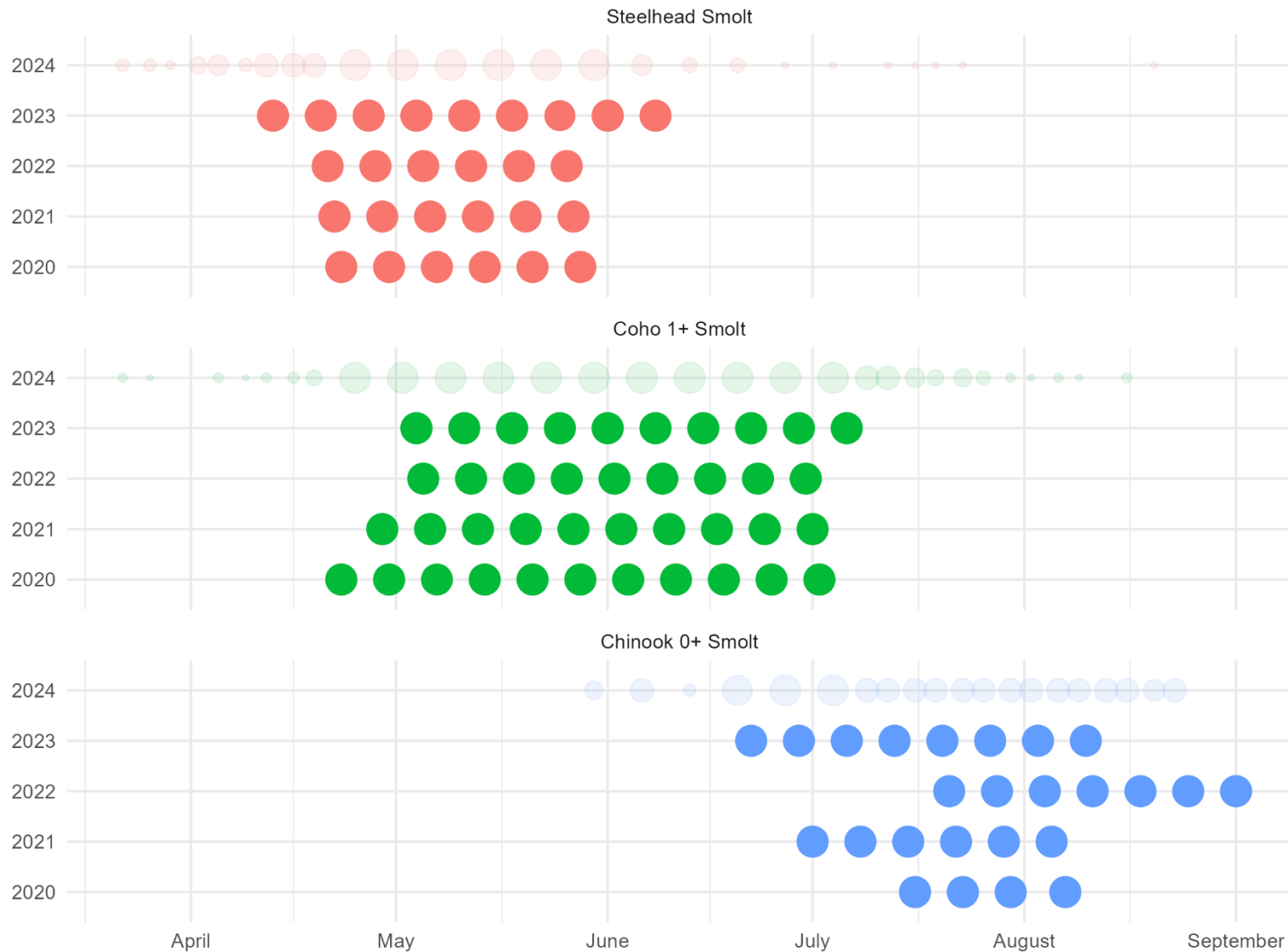
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Fish Science Program



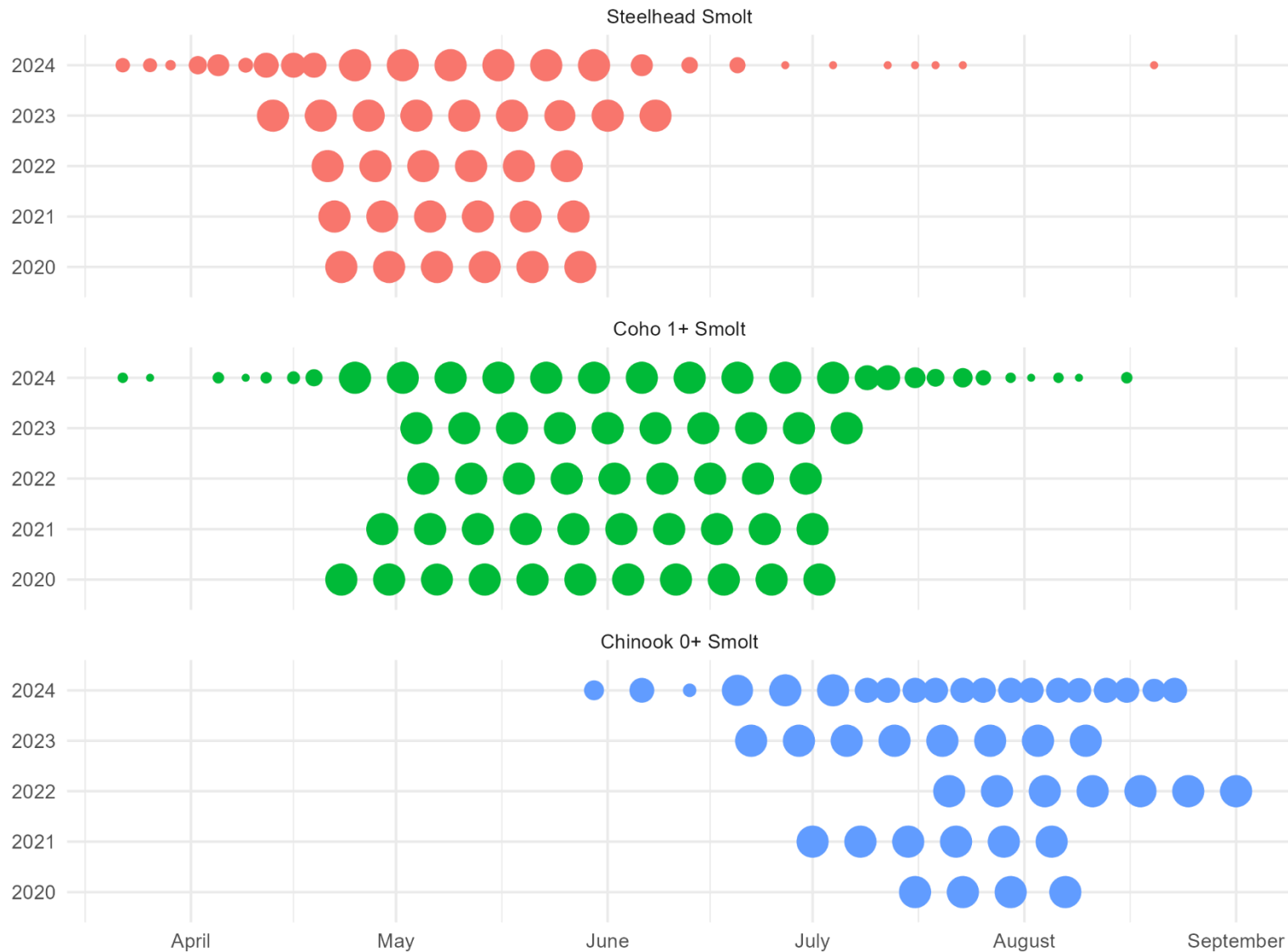


2024 Tagging Strategy

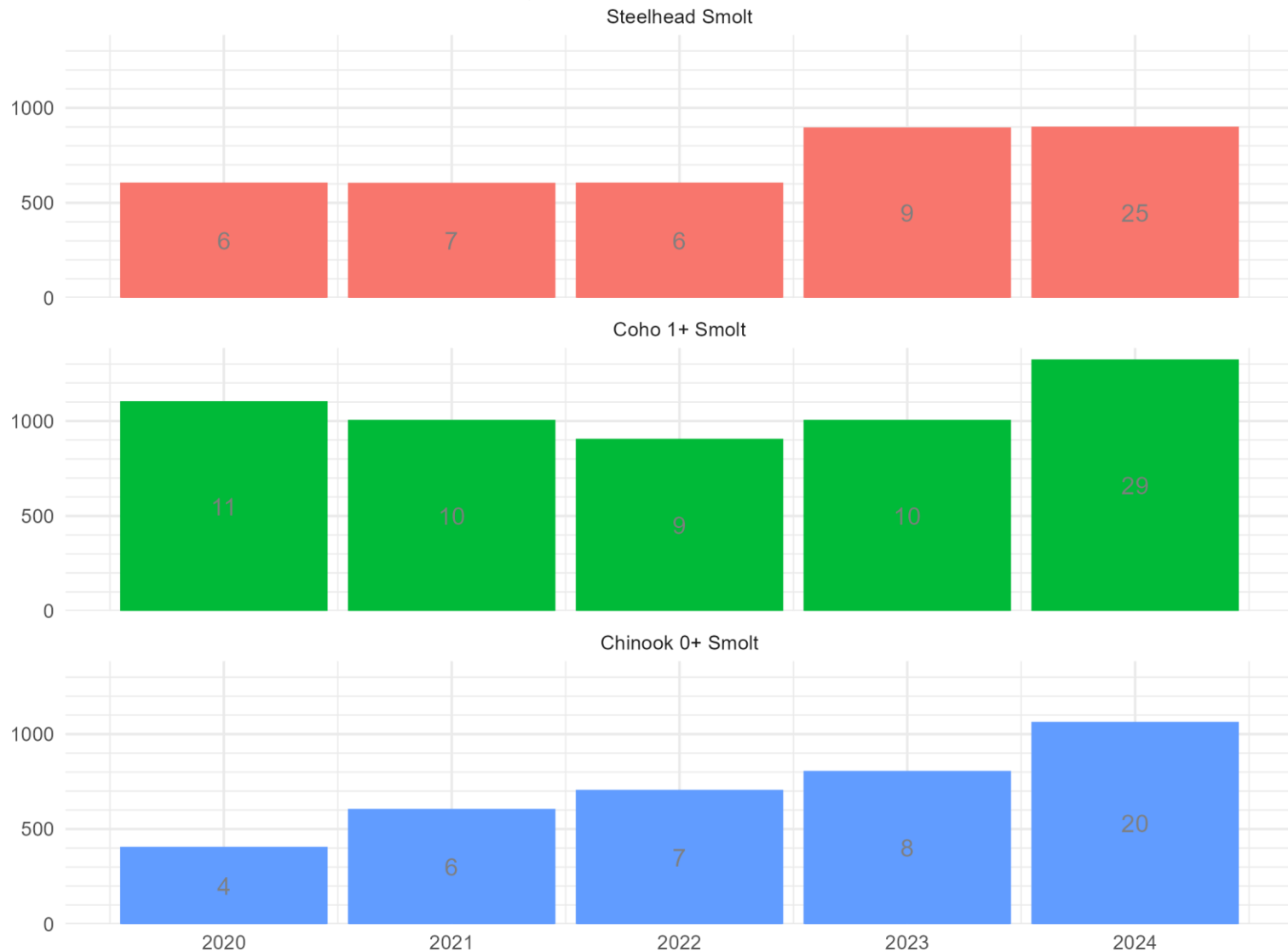
Mark-recapture trials



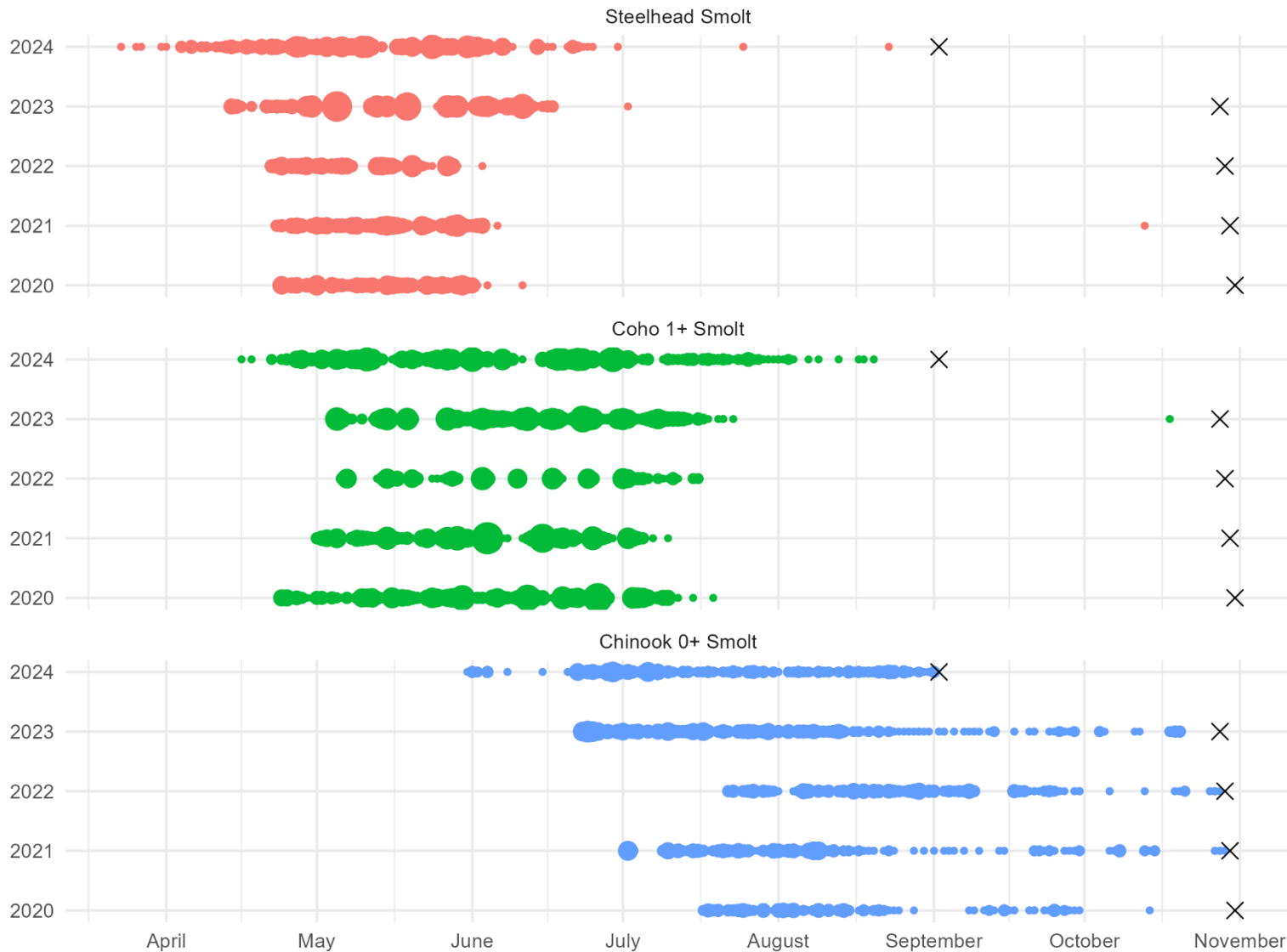
Mark-recapture trials



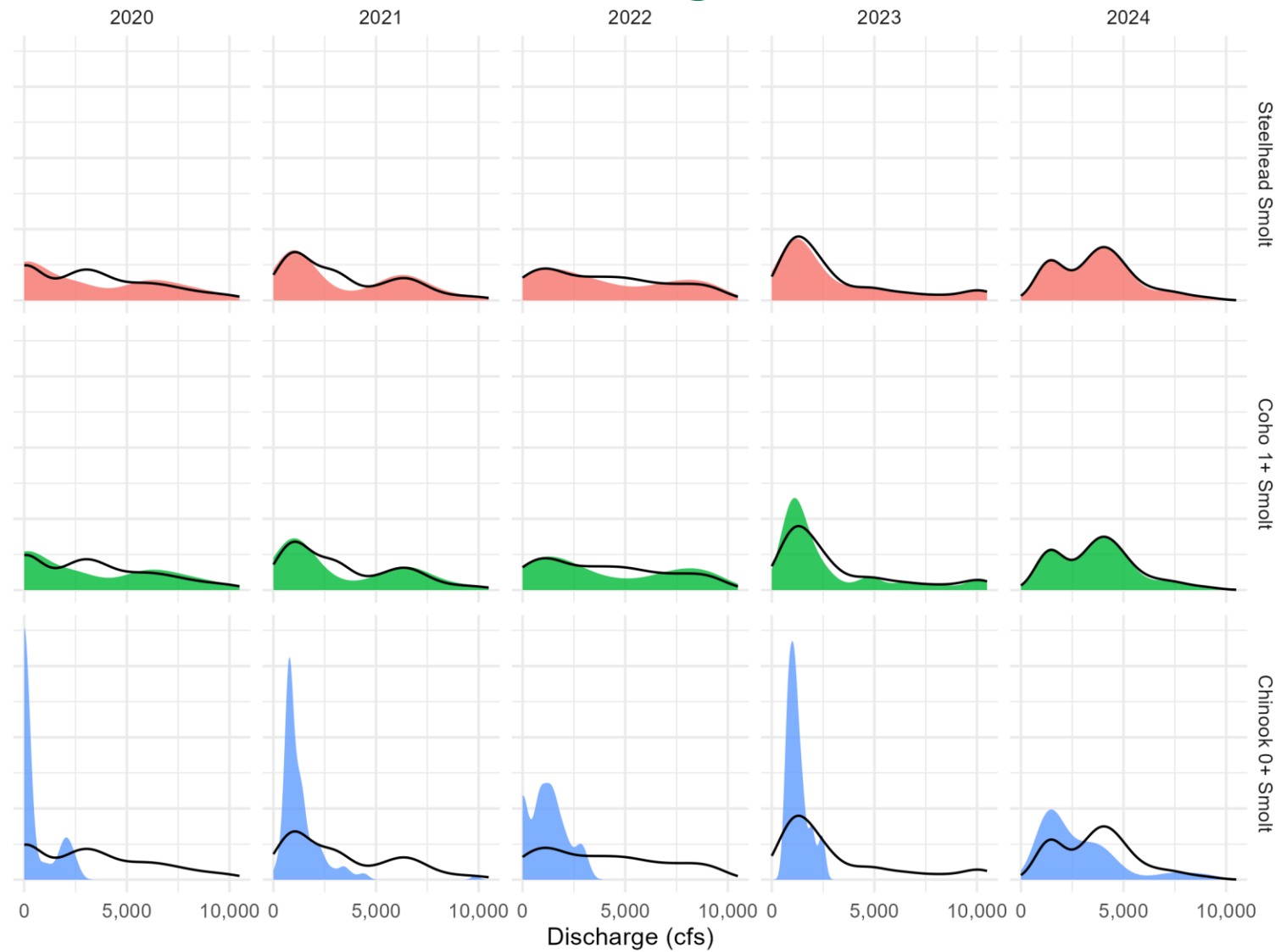
Number of tags deployed



Recaptures



Covariate coverage



What does this all mean?

- More tags means more information
- Better coverage of collection season
- Better coverage of covariates



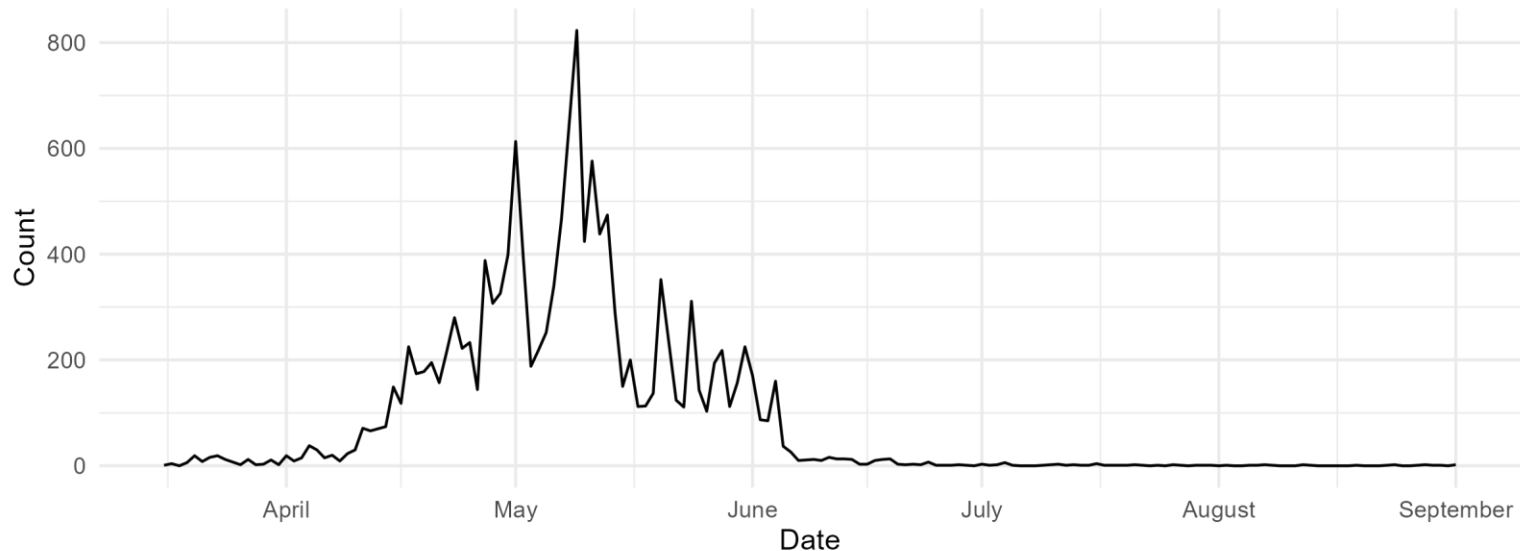


State-space estimation model

Juvenile Abundance Model

- Arrive independently at rate λ_t
- Collected with probability p_t
- Observe number of unmarked fish collected u_t

$$u_t \sim \text{Poisson}(\lambda_t p_t)$$



Collection probability

All fish (marked and unmarked) share the same probability of capture p_t on a given day

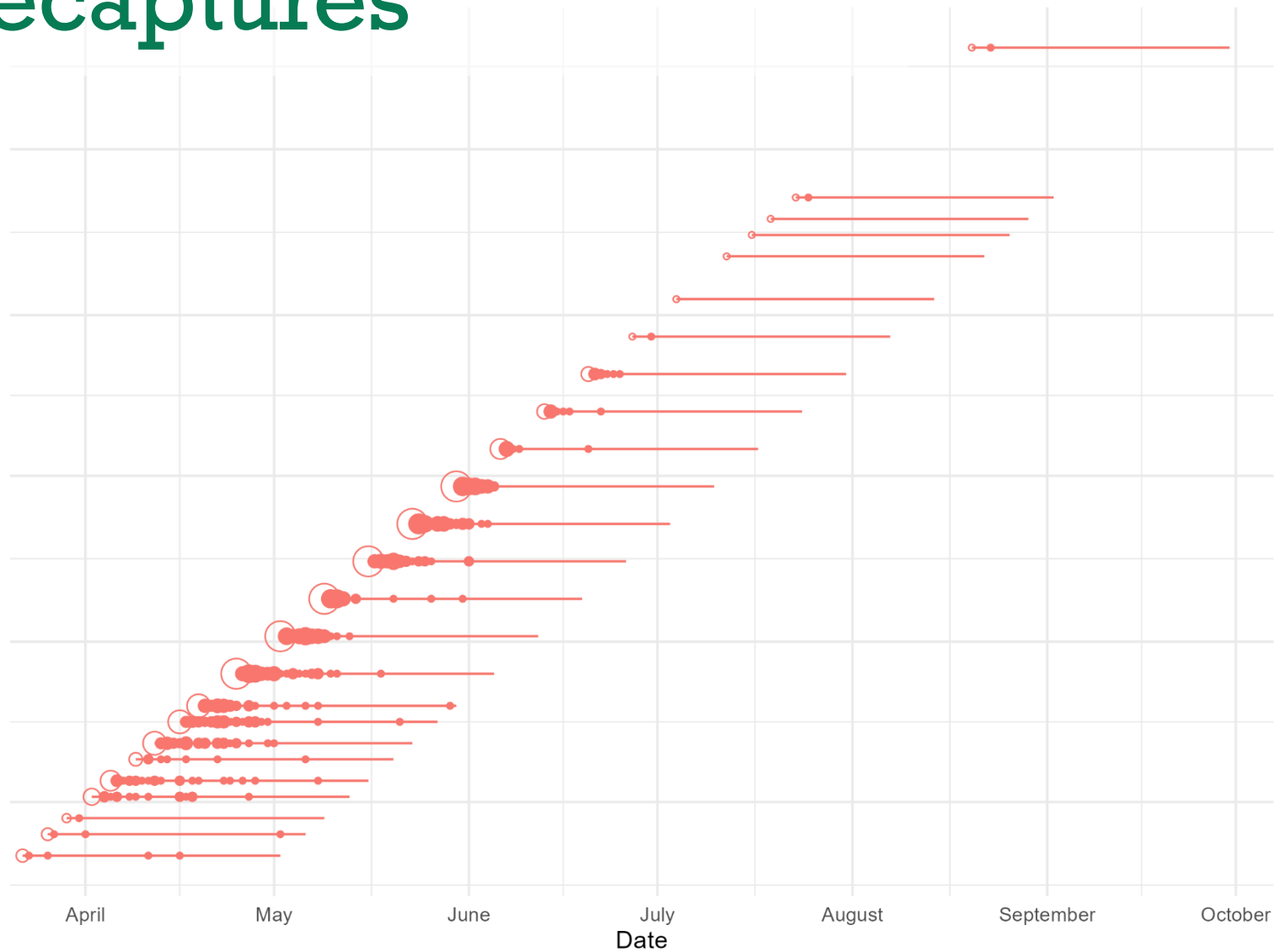
A tagged fish from group r is available for recapture on day t with probability α_{rt}

Observed number of recaptures n_{rt} is

$$(\mathbf{n}_r, l_r) \sim \text{multinomial}(p_1 \alpha_{r1}, \dots, 1 - \sum_t p_t \alpha_{rt})$$



Recaptures



The three models

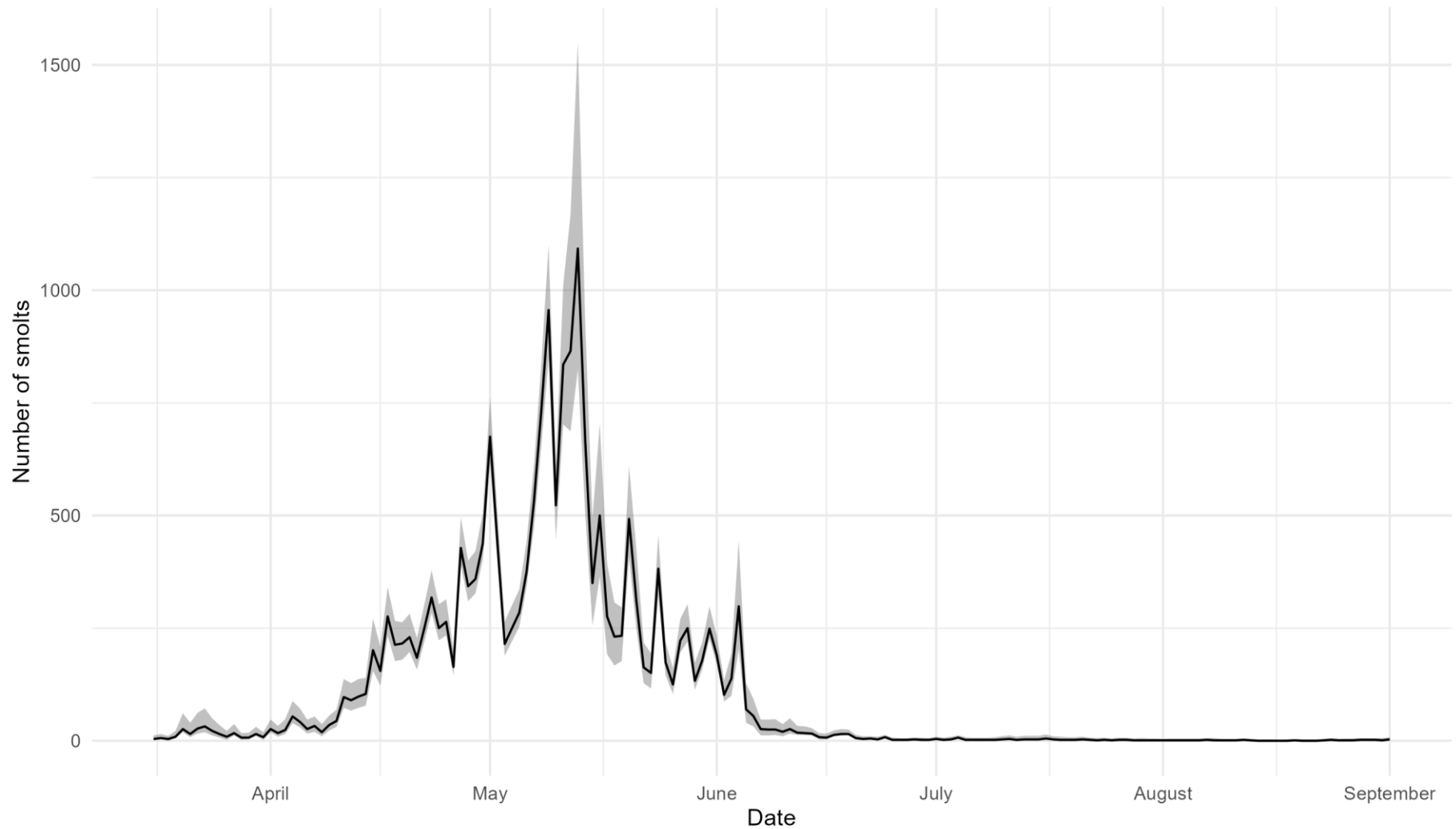
1. Unmarked arrival rate
 2. Probability of capture
 3. Post-release availability
- Can include fixed or random effects
 - Random effects allow temporal correlation



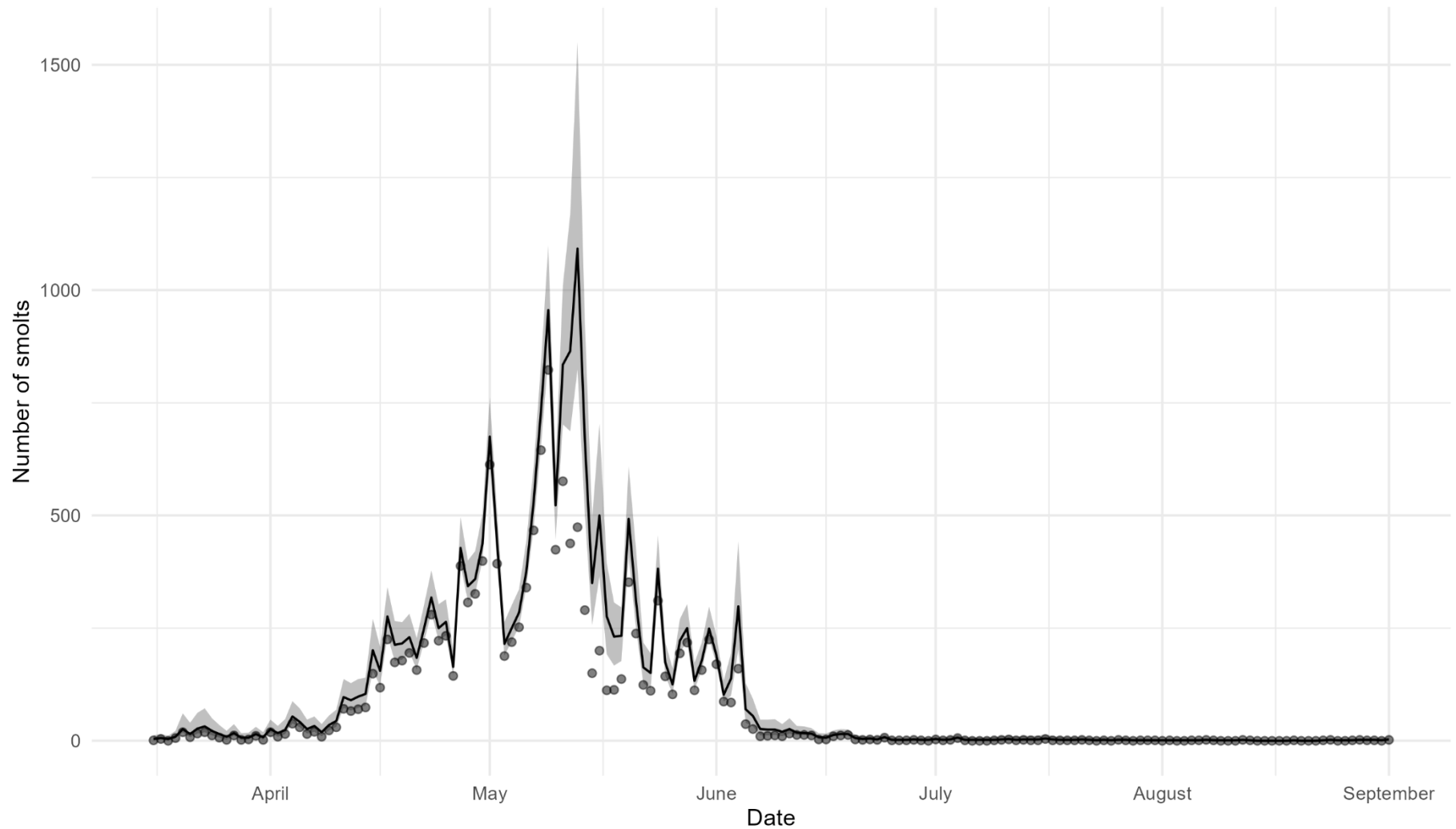


Model results

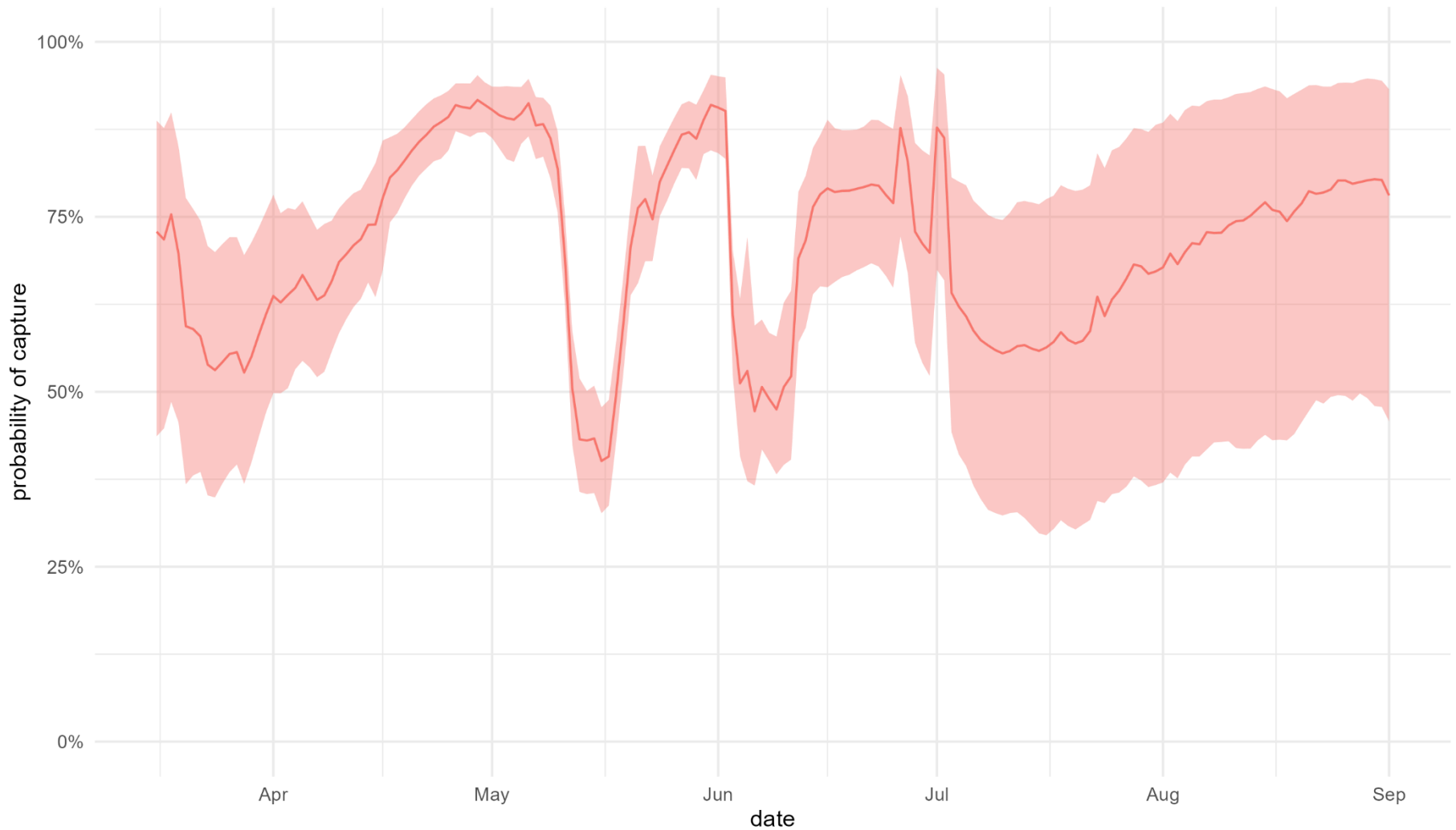
Smolt abundance



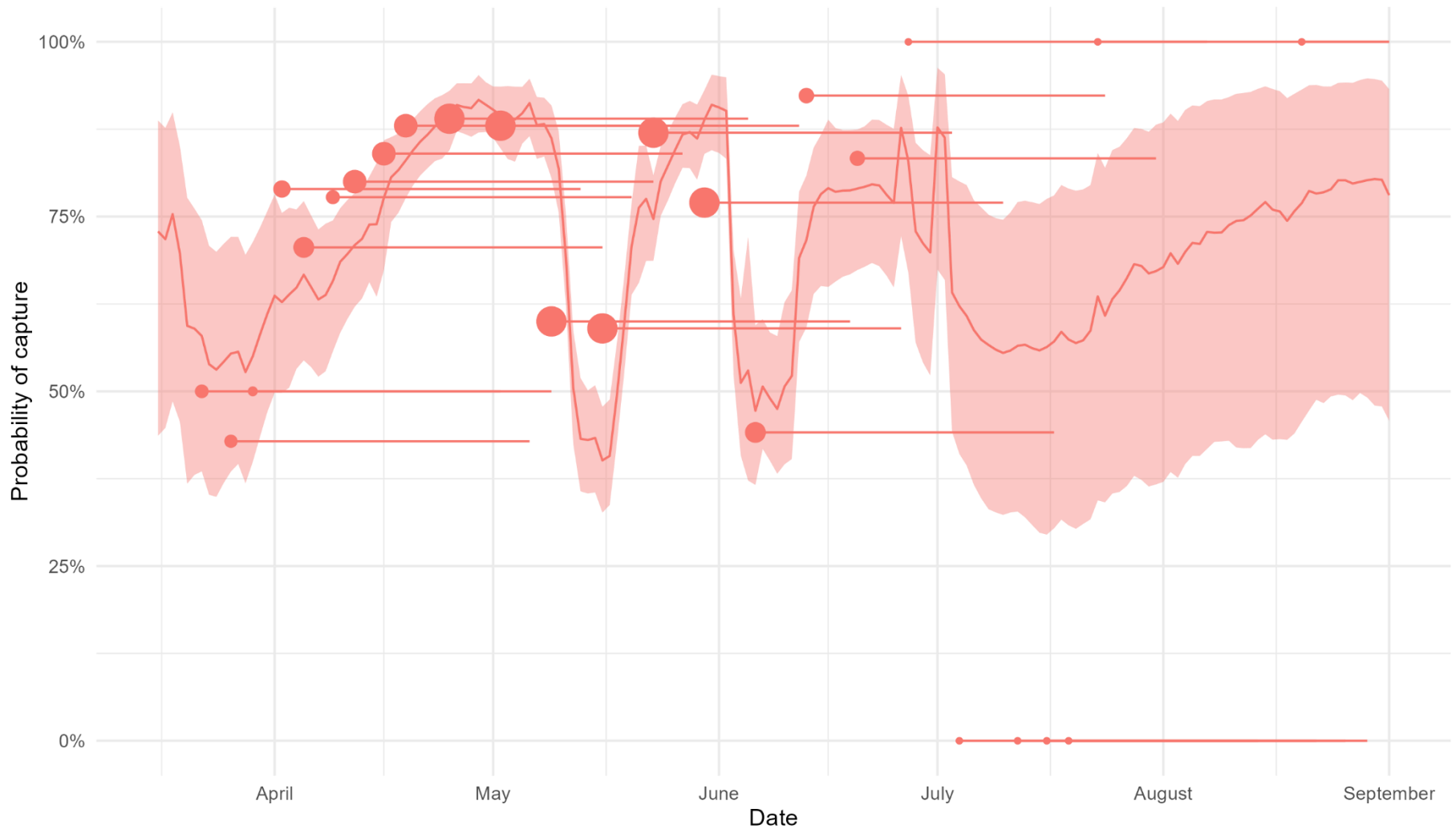
Smolt abundance



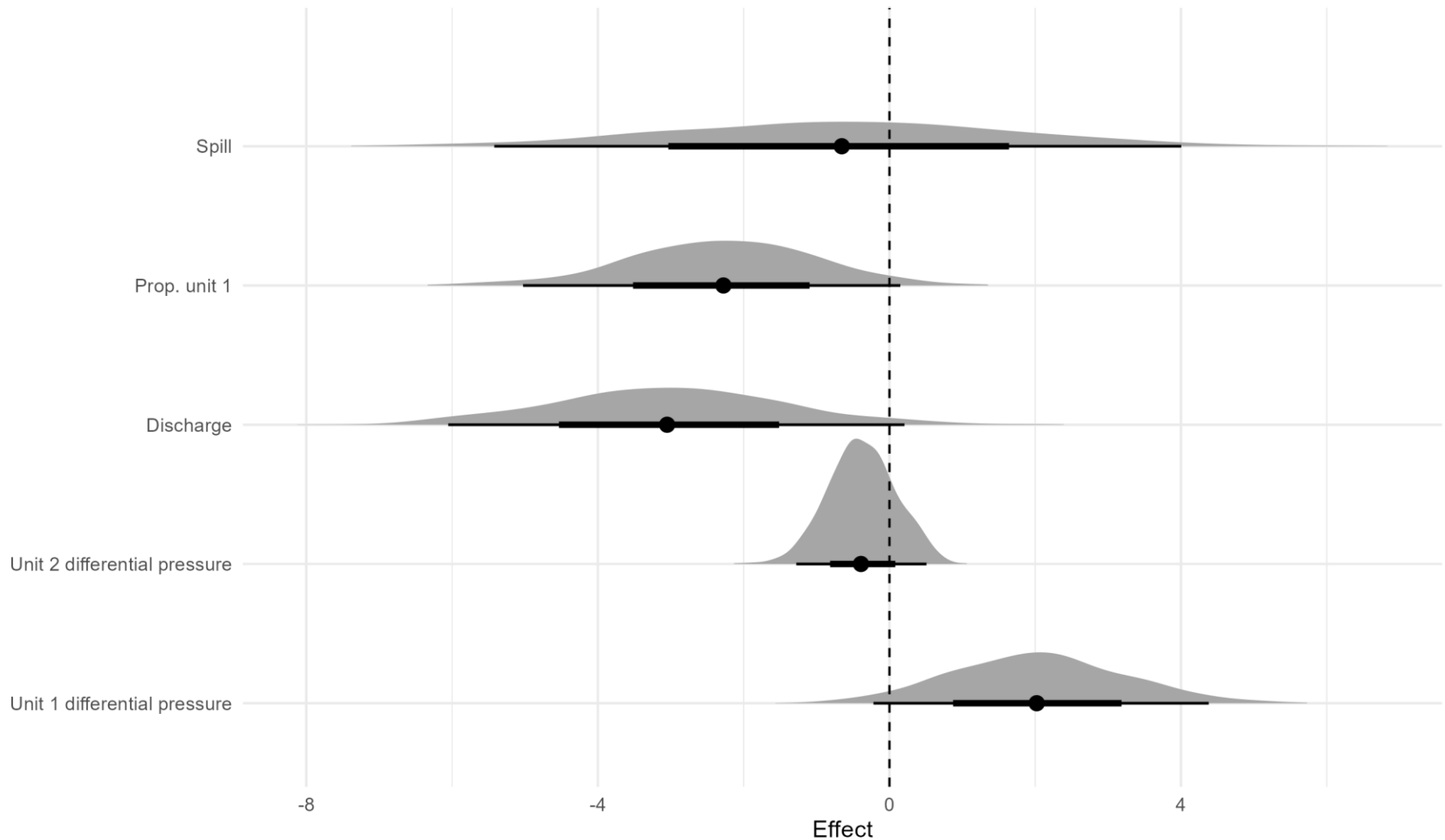
Probability of capture



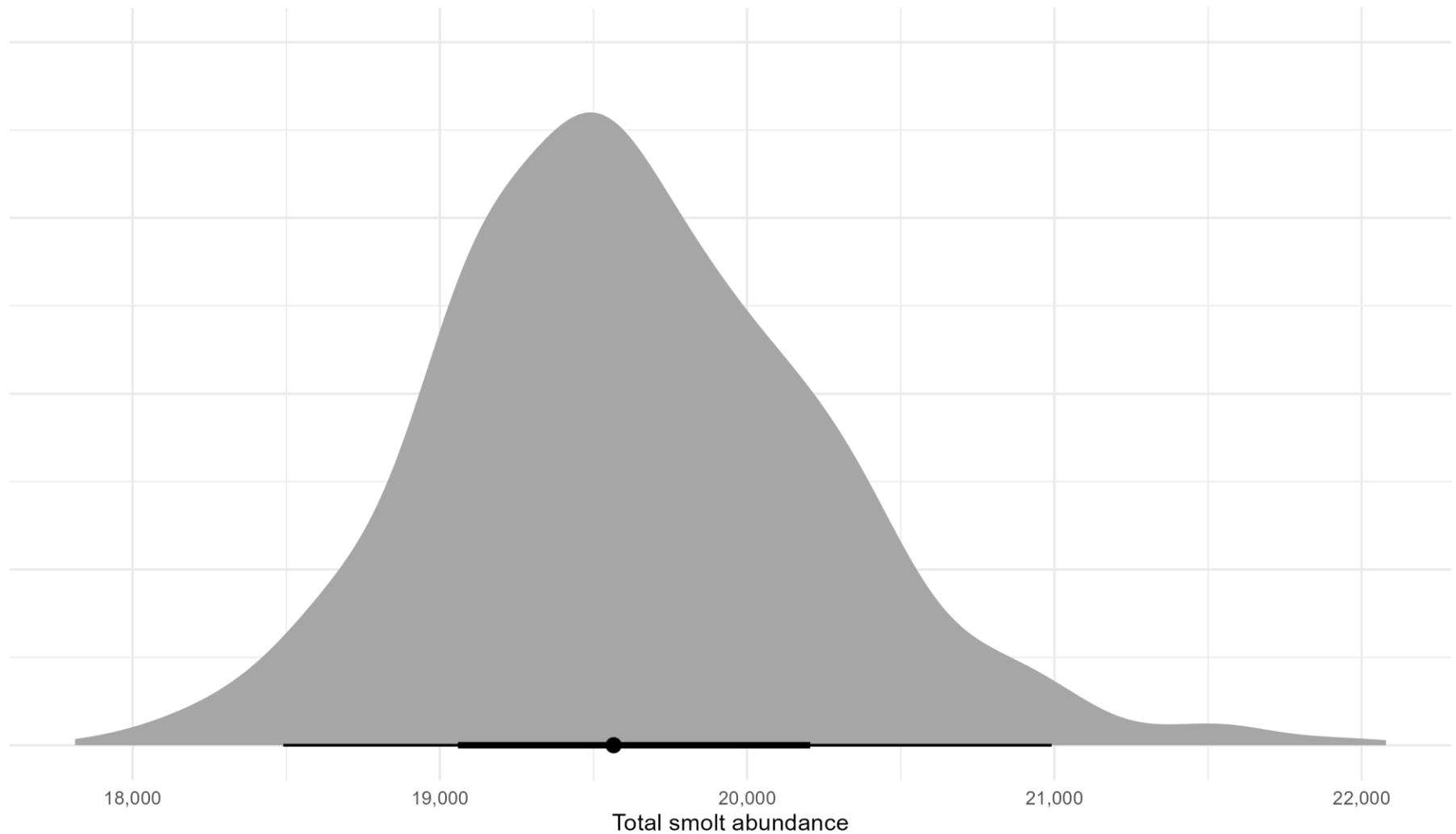
Probability of capture



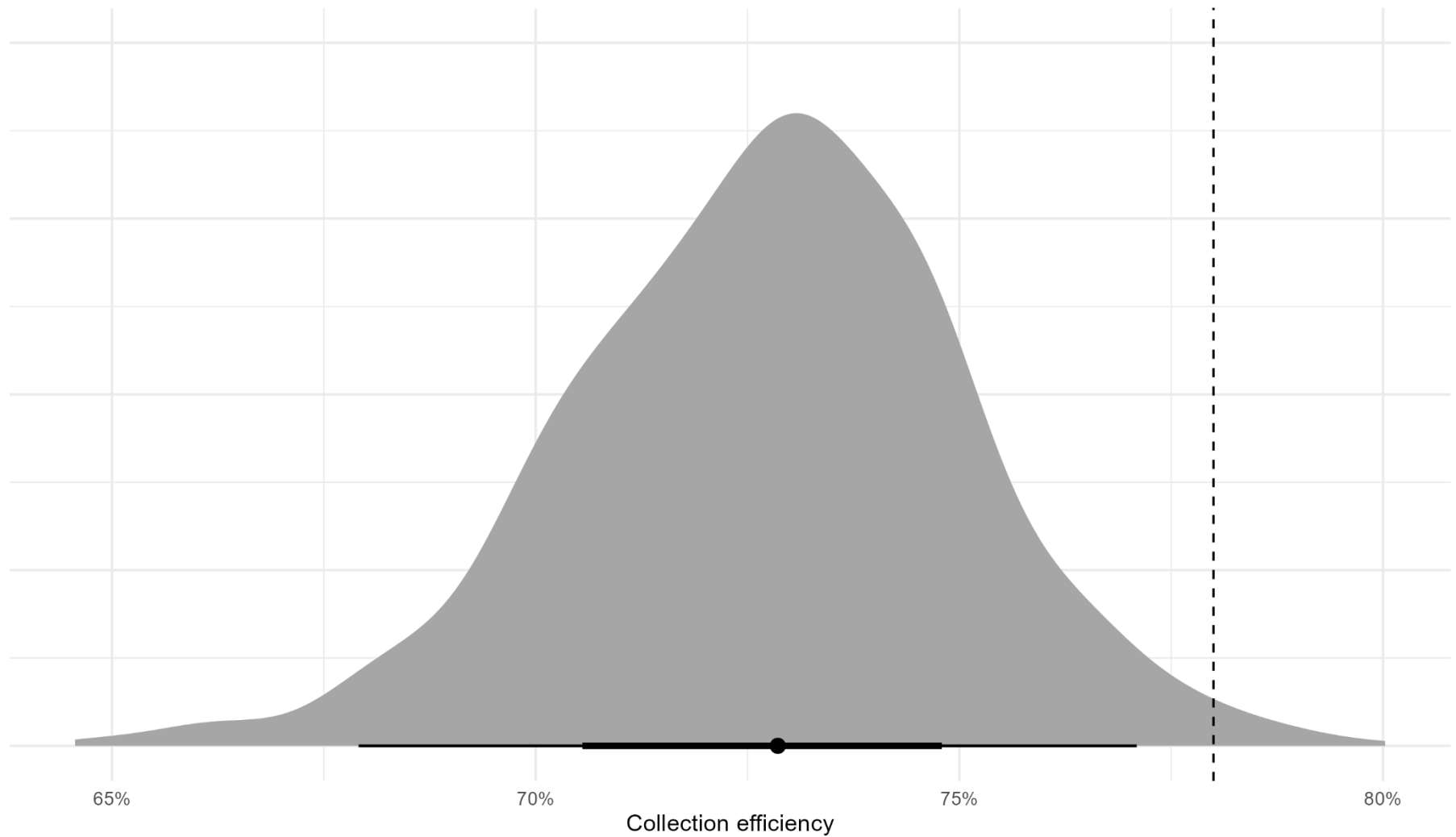
Probability of capture covariates



Smolt abundance



Collection efficiency



Why consider a new model?

- Abundance estimates
- Flexibility
- Informative covariate relationships



Acknowledgements



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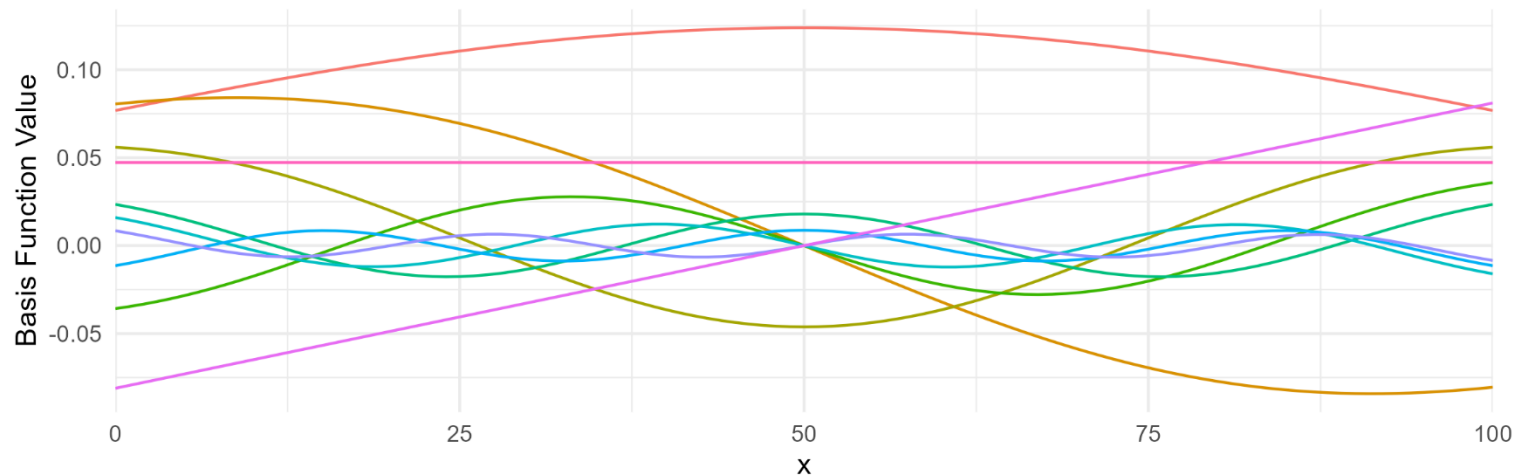
FOUR PEAKS
ENVIRONMENTAL
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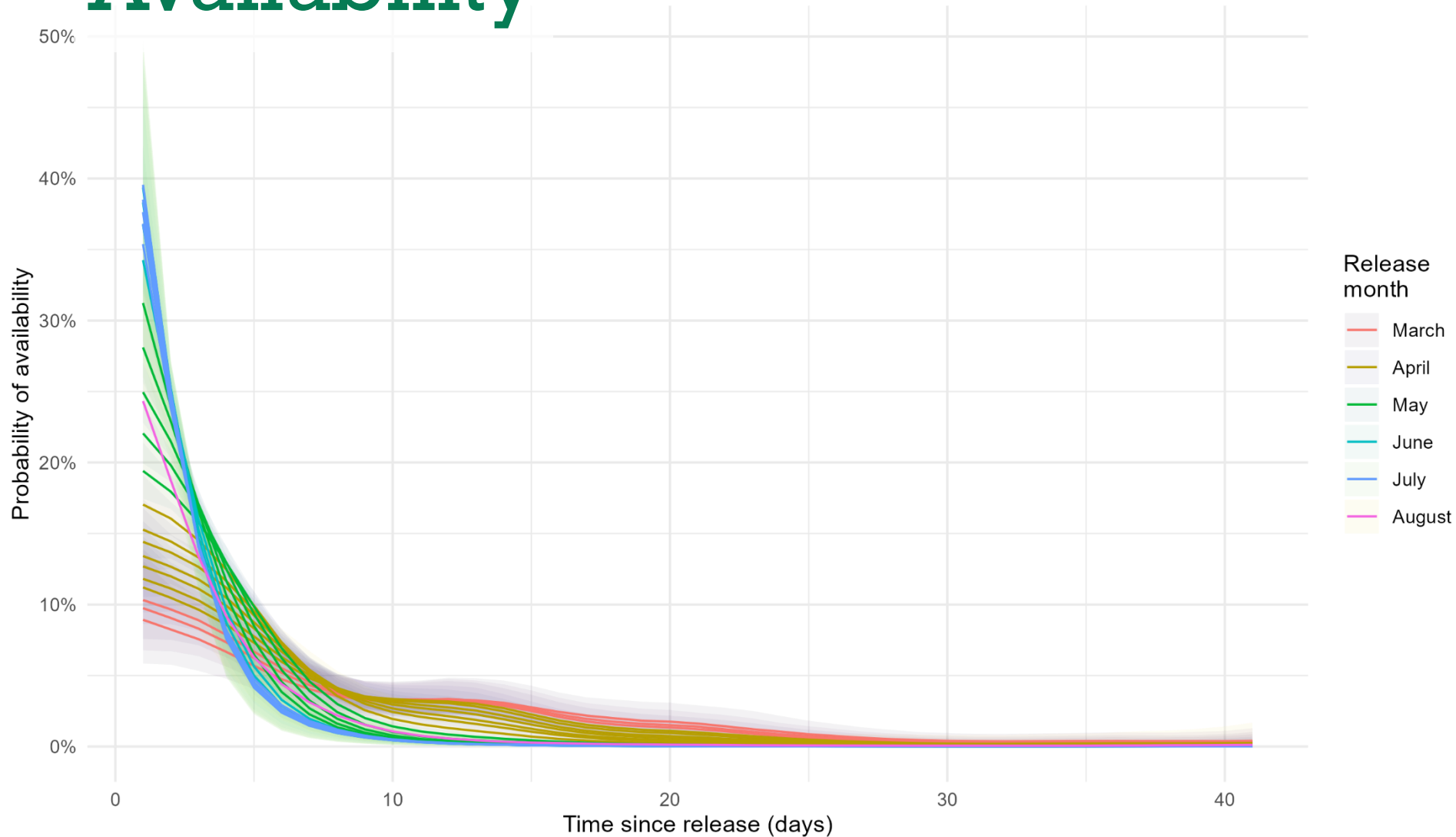


The three models

$$\begin{aligned}\log \lambda &= \mathbf{X}_\lambda \boldsymbol{\beta}_\lambda + \mathbf{Z}_\lambda \boldsymbol{\gamma}_\lambda \\ \text{logit}(\mathbf{p}) &= \mathbf{X}_p \boldsymbol{\beta}_p + \mathbf{Z}_p \boldsymbol{\gamma}_p \\ \text{softmax}(\boldsymbol{\alpha}_r) &= \mathbf{X}_\alpha \boldsymbol{\beta}_\alpha + \mathbf{Z}_\alpha \boldsymbol{\gamma}_\alpha\end{aligned}$$



Availability



Availability

